|   |                                   |   |   | DATE:                       |     |
|---|-----------------------------------|---|---|-----------------------------|-----|
| Quality Checkers<br>Only way to fulfil your dreams                                    |                                   | Maths   | TIME: 1 Hours                               |                             |     |
|   |                                   | Applications of Derivatives   |   | MARKS: 25                   |     |
|   |                                   |   | SEAT NO:                                    |                             |     |
| Note:- 1. All Questions are compulsory. 2. Numbers on the right indicate full marks.  |                                   |   |   |                             |     |
| Section A   |                                   |   |   |                             |     |
| Q.1 Select and write the correct answer. (4)  |                                   |   |   |                             |     |
| 1.  | The function                      | $f(x) = x + rac{4}{x}$ has   |   |                             |     |
|   | A) a local max<br>minimum at :    | ximum at x = 2 and a local<br>x = 3   | B) local minimum at x = 2<br>at x = 2       | 2 and a local maximum       | ۱   |
|   | C) absolute n<br>minimum at :     | naximum at x = 2 and absolute<br>x = –2   | D) absolute minimum at<br>minimum at x = −2 | x = 2 and absolute          |     |
| 2.  | The two parts<br>the square of    | s when the number 84 is divided in the other is maximum are                               | to 2 parts such that the pro-               | oduct of one part and       |     |
|   | A) 42 and 42<br>C) 80 and 4       | B) 56 and 28<br>D) 50 and 34  |   |                             |     |
| Q.2 Aı  | Q.2 Answer the following.         |   |   |                             | (3) |
| <sup>1.</sup> Find the approximate value of $3^{2.01}$ given that $\log_e 3 = 1.0986$ |                                   |   |   |                             |     |
| 2.  | Find the appr                     | oximate value of tan <sup>-1</sup> (1.001)  |   |                             |     |
| 3.  | Find the appr                     | oximate value of e <sup>2.1</sup> given that e <sup>2</sup>                               | <sup>2</sup> = 7.389                        |                             |     |
| Section B<br>Attempt any Four   |                                   |   |   |                             |     |
| Q.3   | Find the equat<br>4               | tions of the normal to the curve 3x   | $x^2 - y^2 = 8$ which are parall            | el to the line $x + 3y = 0$ | (2) |
| Q.4   | Find the value                    | of x for which the f (x) = $x^3 - 6x^2 -$   | - 36x + 7 is strictly increasir             | ng. (                       | (2) |
| Q.5   | Find the value                    | of x for which the $f(x) = x +$   | $-\frac{25}{x}$ is strictly increasing.     | (                           | (2) |
| Q.6   | Find the appro                    | oximate value of log <sub>e</sub> (9.01) given t  | "<br>hat log 3 = 1.0986                     | (                           | (2) |
| Q.7   | A particle mov<br>ordinate is cha | ves along the curve 6y = x <sup>3</sup> + 2. Find<br>anging 8 times as fast as the x co-o | d the points on the curve a<br>rdinate.     | t which y - co- (           | (2) |
| Q.8   | Find the appro                    | oximate value of $\sqrt[3]{28}$ at required   | point.                                      | (                           | (2) |
|   |                                   | Section<br>Attempt ar   | ו C<br>וע Two                               |                             |     |

(3)

Q.10 Find the equation of tangent and normal to the curve at the point on it.  $y = x^2 + 2e^x + 2at(0, 4)$  (3)

(3)

(4)

Q.11 Find the maximum and minimum of  $f(x) = x^2 + \frac{16}{x^2}$ 

## Section D Attempt any One

- Q.12 Find the values of x for which  $f(x) = 2x^3 15x^2 144x 7$  is (a) Strictly increasing (b) Strictly decreasing. (4)
- Q.13 Find the equation of tangent and normal to the curve at the point on it.

$$x = \sqrt{t}, y = t - \frac{1}{\sqrt{t}}$$
 at  $t = 4$